

# The Social Relations Model

## The lavaan ecosystem

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# Outline

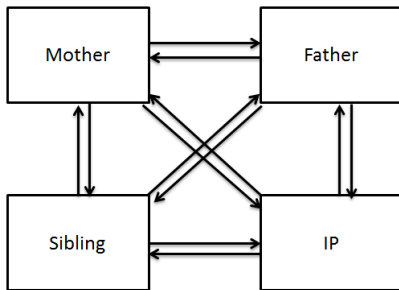
- 1 The Social Relations Model
  - Theoretical framework
  - Design
  - Analysis
- 2 Description dataset
- 3 fSRM: A user-friendly R-package
  - The pop-up window
  - Single group analyses: clinical group
  - Group comparison

# The SRM components

Example: Case Study: X, 14 years old

- Aggressive problems in family context
- No problems at school
- Disturbed family dynamics?

Network of Relationship Inventory (Furman & Buhrmester, 1985):  
- Negative interaction subscale

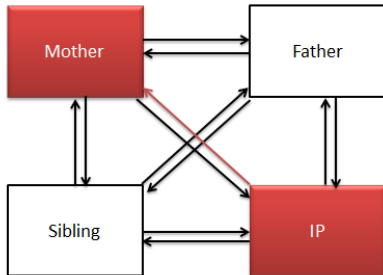


# The SRM components

Example: Case Study: X, 14 years old

- Aggressive problems in family context
- No problems at school
- Disturbed family dynamics?

*e.g. How much do you and your mother get annoyed with each other's behavior?*



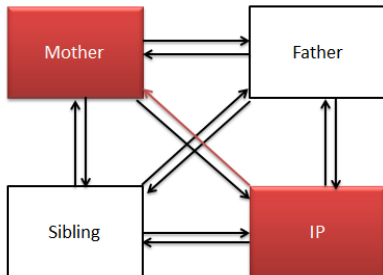
# The SRM components

Example: Case Study: X, 14 years old

- Aggressive problems in family context
- No problems at school
- Disturbed family dynamics?

Result NRI :

X reports a lot of negativity in relation to his mother



# The SRM components

X reports about negativity in relation to his mother.

- Actor effect:

How much negativity does this child report in general?

- Partner effect

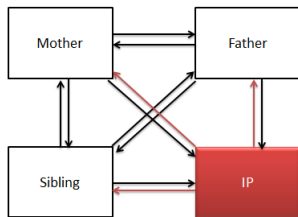
How negative is this mother perceived?

- Relationship effect

Is it specific to their relationship?

- Family effect

Is it something specific to the family culture?



# The SRM components

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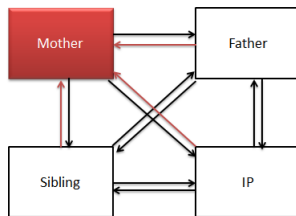
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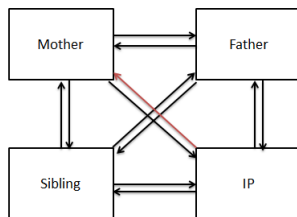
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# The SRM components

X reports about negativity in relation to his mother.

- **Actor effect:**

How much negativity does this child report in general?

- **Partner effect**

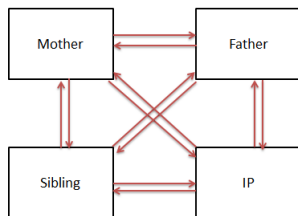
How negative is this mother perceived?

- **Relationship effect**

Is it specific to their relationship?

- **Family effect**

Is it something specific to the family culture?



## The SRM is perfectly suitable for

- Perform case studies

! need normative sample

(e.g. What are abnormal dynamics within this particular family?)

- Examining one group

(e.g. Do mothers differ in terms of negativity?)

- Comparing two groups

(e.g. Is there a difference between mothers with or without a child with externalizing problem behavior?)

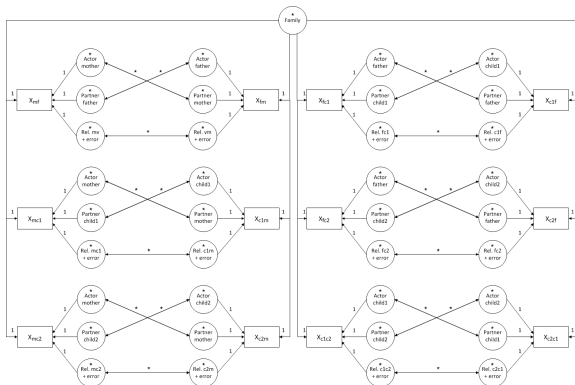
# Additional analyses

## Additional questions that can be answered:

- At the individual level of analyses:  
What you give is what you get?  
(i.e. correlation between actor and partner effect of the same person)
- At the dyadic level of analyses:  
Are there bidirectional effects?  
(i.e. correlation between the two relationship effects of the same dyad)
- Within generations:  
Are there intragenerational similarities?  
(i.e. correlation between actor or partner effects of the individuals of the same generation)

# Confirmatory Factor Analysis

SRM components are specified as latent variables in a CFA.



**Figure:** Boxes represent the observed dyadic measurements, circles latent variables. Parameters that are fixed are indicated by '1', free parameters by an asterisk. Every indicator is connected with the corresponding latent variable by a single headed arrow. Double headed arrows represent reciprocities.

# Main goal

## *Family researchers often find it hard to perform the analyses*

```

# Family effect:
FE =~ 1*c_f_anx + 1*c_m_anx + 1*c_y_anx +
1*f_c_anx + 1*f_m_anx + 1*f_y_anx +
1*m_c_anx + 1*m_f_anx + 1*m_y_anx +
1*y_c_anx + 1*y_f_anx + 1*y_m_anx

# Actor effects:
A.c =~ 1*c_f_anx + 1*c_m_anx + 1*c_y_anx
A.f =~ 1*f_c_anx + 1*f_m_anx + 1*f_y_anx
A.m =~ 1*m_c_anx + 1*m_f_anx + 1*m_y_anx
A.y =~ 1*y_c_anx + 1*y_f_anx + 1*y_m_anx

# Partner effects:
P.c =~ 1*f_c_anx + 1*m_c_anx + 1*y_c_anx
P.f =~ 1*c_f_anx + 1*m_f_anx + 1*y_f_anx
P.m =~ 1*c_m_anx + 1*f_m_anx + 1*y_m_anx
P.y =~ 1*c_y_anx + 1*f_y_anx + 1*m_y_anx

# Relationship effects:
R.c.f =~ 1* c_f_anx
R.c.m =~ 1* c_m_anx
R.c.y =~ 1* c_y_anx
R.f.c =~ 1* f_c_anx
R.f.m =~ 1* f_m_anx
R.f.y =~ 1* f_y_anx
R.m.c =~ 1* m_c_anx
R.m.f =~ 1* m_f_anx
R.m.y =~ 1* m_y_anx
R.y.c =~ 1* y_c_anx
R.y.f =~ 1* y_f_anx
R.y.m =~ 1* y_m_anx

# Generalized reciprocity:
A.c =~ P.c
A.f =~ P.f
A.m =~ P.m
A.y =~ P.y

# Dyadic reciprocity:
R.c.f =~ R.f.c
R.c.m =~ R.m.c
R.c.y =~ R.y.c
R.f.m =~ R.m.f
R.f.y =~ R.y.f
R.m.y =~ R.y.m

c_f_anx =~ 0*c_f_anx
c_m_anx =~ 0*c_m_anx
c_y_anx =~ 0*c_y_anx
f_c_anx =~ 0*f_c_anx
f_m_anx =~ 0*f_m_anx
f_y_anx =~ 0*f_y_anx
m_c_anx =~ 0*m_c_anx
m_f_anx =~ 0*m_f_anx
m_y_anx =~ 0*m_y_anx
y_c_anx =~ 0*y_c_anx
y_f_anx =~ 0*y_f_anx
y_m_anx =~ 0*y_m_anx

## Compute structured means
# Define labels for subsequent constraints
FE =~ .means.FE*1
A.c =~ .means.A.c*1
A.f =~ .means.A.f*1
A.m =~ .means.A.m*1
A.y =~ .means.A.y*1
P.c =~ .means.P.c*1
P.f =~ .means.P.f*1
P.m =~ .means.P.m*1
P.y =~ .means.P.y*1
R.c.f =~ .means.R.c.f*1
R.c.m =~ .means.R.c.m*1
R.c.y =~ .means.R.c.y*1
R.f.c =~ .means.R.f.c*1
R.f.m =~ .means.R.f.m*1
R.f.y =~ .means.R.f.y*1
R.m.c =~ .means.R.m.c*1
R.m.f =~ .means.R.m.f*1
R.m.y =~ .means.R.m.y*1
R.y.c =~ .means.R.y.c*1
R.y.f =~ .means.R.y.f*1
R.y.m =~ .means.R.y.m*1

# set means of observed variables to zero
c_f_anx =~ 0*1
c_m_anx =~ 0*1
c_y_anx =~ 0*1
f_c_anx =~ 0*1
f_m_anx =~ 0*1
f_y_anx =~ 0*1
m_c_anx =~ 0*1
m_f_anx =~ 0*1
m_y_anx =~ 0*1
y_c_anx =~ 0*1
y_f_anx =~ 0*1
y_m_anx =~ 0*1

# set constraints on means for identifiability
.means.A.c + .means.A.f + .means.A.m +
.means.A.y == 0
.means.P.c + .means.P.f + .means.P.m +
.means.P.y == 0
.means.R.c.f + .means.R.c.m + .means.R.c.y == 0
.means.R.f.c + .means.R.f.m + .means.R.f.y == 0
.means.R.m.c + .means.R.m.f + .means.R.m.y == 0
.means.R.y.c + .means.R.y.f + .means.R.y.m == 0
.means.R.f.c + .means.R.m.c + .means.R.y.c == 0
.means.R.c.f + .means.R.m.f + .means.R.y.f == 0
.means.R.c.m + .means.R.f.m + .means.R.y.m == 0
.means.R.c.y + .means.R.f.y + .means.R.m.y == 0

```

# Main goal

## Family researchers often find it hard to perform the analyses

```

# Family effect:
FE ~ 1*c_f_anx + 1*c_m_anx + 1*c_y_anx +
1*f_c_anx + 1*f_m_anx + 1*f_y_anx +
1*m_c_anx + 1*m_f_anx + 1*m_y_anx +
1*y_c_anx + 1*y_f_anx + 1*y_m_anx

# Actor effects:
A.c ~ 1*c_f_anx + 1*c_m_anx + 1*c_y_anx
A.f ~ 1*f_c_anx + 1*f_m_anx + 1*f_y_anx
A.m ~ 1*m_c_anx + 1*m_f_anx + 1*m_y_anx
A.y ~ 1*y_c_anx + 1*y_f_anx + 1*y_m_anx

# Partner effects:
P.c ~ 1*f_c_anx + 1*m_c_anx + 1*y_c_anx
P.f ~ 1*c_f_anx + 1*m_f_anx + 1*y_f_anx
P.m ~ 1*c_m_anx + 1*f_m_anx + 1*y_m_anx
P.y ~ 1*c_y_anx + 1*f_y_anx + 1*m_y_anx

# Relationship effects:
R.c.f ~ 1* c_f_anx
R.c.m ~ 1* c_m_anx
R.c.y ~ 1* c_y_anx
R.f.c ~ 1* f_c_anx
R.f.m ~ 1* f_m_anx
R.f.y ~ 1* f_y_anx
R.m.c ~ 1* m_c_anx
R.m.f ~ 1* m_f_anx
R.m.y ~ 1* m_y_anx
R.y.c ~ 1* y_c_anx
R.y.f ~ 1* y_f_anx
R.y.m ~ 1* y_m_anx

# Generalized reciprocity:
A.c ~ P.c
A.f ~ P.f
A.m ~ P.m
A.y ~ P.y

# Dyadic reciprocity:
R.c.f ~ R.f.c
R.c.m ~ R.m.c
R.c.y ~ R.y.c
R.f.m ~ R.m.f
R.f.y ~ R.y.f
R.m.y ~ R.y.m

c_f_anx ~ 0*c_f_anx
c_m_anx ~ 0*c_m_anx
c_y_anx ~ 0*c_y_anx
f_c_anx ~ 0*f_c_anx
f_m_anx ~ 0*f_m_anx
f_y_anx ~ 0*f_y_anx
m_c_anx ~ 0*m_c_anx
m_f_anx ~ 0*m_f_anx
m_y_anx ~ 0*m_y_anx
y_c_anx ~ 0*y_c_anx
y_f_anx ~ 0*y_f_anx
y_m_anx ~ 0*y_m_anx

## Compute structured means
# Define labels for subsequent constraints
FE ~ .means.FE*1
A.c ~ .means.A.c*1
A.f ~ .means.A.f*1
A.m ~ .means.A.m*1
A.y ~ .means.A.y*1
P.c ~ .means.P.c*1
P.f ~ .means.P.f*1
P.m ~ .means.P.m*1
P.y ~ .means.P.y*1
R.c.f ~ .means.R.c.f*1
R.c.m ~ .means.R.c.m*1
R.c.y ~ .means.R.c.y*1
R.f.c ~ .means.R.f.c*1
R.f.m ~ .means.R.f.m*1
R.f.y ~ .means.R.f.y*1
R.m.c ~ .means.R.m.c*1
R.m.f ~ .means.R.m.f*1
R.m.y ~ .means.R.m.y*1
R.y.c ~ .means.R.y.c*1
R.y.f ~ .means.R.y.f*1
R.y.m ~ .means.R.y.m*1

# set means of observed variables to zero
c_f_anx ~ 0*1
c_m_anx ~ 0*1
c_y_anx ~ 0*1
f_c_anx ~ 0*1
f_m_anx ~ 0*1
f_y_anx ~ 0*1
m_c_anx ~ 0*1
m_f_anx ~ 0*1
m_y_anx ~ 0*1
y_c_anx ~ 0*1
y_f_anx ~ 0*1
y_m_anx ~ 0*1

# set constraints on means for identifiability
.means.A.c + .means.A.f + .means.A.m +
.means.A.y == 0
.means.P.c + .means.P.f + .means.P.m +
.means.P.y == 0
.means.R.c.f + .means.R.c.m + .means.R.c.y == 0
.means.R.f.c + .means.R.f.m + .means.R.f.y == 0
.means.R.m.c + .means.R.m.f + .means.R.m.y == 0
.means.R.y.c + .means.R.y.f + .means.R.y.m == 0
.means.R.f.c + .means.R.m.c + .means.R.y.c == 0
.means.R.c.f + .means.R.m.f + .means.R.y.f == 0
.means.R.c.m + .means.R.f.m + .means.R.y.m == 0
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```

# Main goal

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```
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1*f_c_anx + 1*f_m_anx + 1*f_y_anx +
1*m_c_anx + 1*m_f_anx + 1*m_y_anx +
1*y_c_anx + 1*y_f_anx + 1*y_m_anx

# Actor effects:
A.c -- 1*c_f_anx + 1*c_m_anx + 1*c_y_anx
A.f -- 1*f_c_anx + 1*f_m_anx + 1*f_y_anx
A.m -- 1*m_c_anx + 1*m_f_anx + 1*m_y_anx
A.y -- 1*y_c_anx + 1*y_f_anx + 1*y_m_anx

# Partner effects:
P.c -- 1*c_f_anx + 1*c_m_anx + 1*c_y_anx
P.f -- 1*f_c_anx + 1*f_m_anx + 1*f_y_anx
P.m -- 1*m_c_anx + 1*m_f_anx + 1*m_y_anx
P.y -- 1*y_c_anx + 1*y_f_anx + 1*y_m_anx

# Dyadic reciprocity:
R.c.f -- R.f.c
R.c.m -- R.m.c
R.c.y -- R.y.c
R.f.m -- R.m.f
R.f.y -- R.y.f
R.m.y -- R.y.m

R.f.m ~ .means.R.f.m*1
R.f.y ~ .means.R.f.y*1
R.m.c ~ .means.R.m.c*1
R.m.f ~ .means.R.m.f*1
R.m.y ~ .means.R.m.y*1
R.y.c ~ .means.R.y.c*1
R.y.f ~ .means.R.y.f*1
R.y.m ~ .means.R.y.m*1

c_f_anx -- 0*c_f_anx
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f_c_anx -- 0*f_c_anx
f_m_anx -- 0*f_m_anx
m_c_anx -- 0*m_c_anx
m_f_anx -- 0*m_f_anx
m_y_anx -- 0*m_y_anx

# set means of observed variables to zero
c_f_anx ~ 0*1
c_m_anx ~ 0*1
```

With fSRM:

fSRM(DV ~ actor.id, partner.id | family.id, means = T, data = dat)

```
R.c.c.m -- 1* c_m_anx
R.c.c.y -- 1* c_y_anx
R.c.f.c -- 1* f_c_anx
R.f.f.m -- 1* f_m_anx
R.f.f.y -- 1* f_y_anx
R.m.m.c -- 1* m_c_anx
R.m.m.f -- 1* m_f_anx
R.m.m.y -- 1* m_y_anx
R.y.y.c -- 1* y_c_anx
R.y.y.f -- 1* y_f_anx
R.y.y.m -- 1* y_m_anx

# Compute structured means
## Define labels for subsequent constraints
FE ~ .means.FE*1
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A.f ~ .means.A.f*1
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A.y ~ .means.A.y*1
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P.m ~ .means.P.m*1
P.y ~ .means.P.y*1
R.c.f ~ .means.R.c.f*1
R.c.m ~ .means.R.c.m*1
R.c.y ~ .means.R.c.y*1
R.f.c ~ .means.R.f.c*1
R.f.m ~ .means.R.f.m*1
R.f.y ~ .means.R.f.y*1
R.m.c ~ .means.R.m.c*1
R.m.f ~ .means.R.m.f*1
R.m.y ~ .means.R.m.y*1
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.means.P.y == 0
.means.R.c.f + .means.R.c.m + .means.R.c.y == 0
.means.R.f.c + .means.R.f.m + .means.R.f.y == 0
.means.R.m.c + .means.R.m.f + .means.R.m.y == 0
.means.R.y.c + .means.R.y.f + .means.R.y.m == 0
.means.R.c.f.c + .means.R.m.c + .means.R.y.c == 0
.means.R.c.f + .means.R.m.f + .means.R.y.f == 0
.means.R.c.m + .means.R.f.m + .means.R.y.m == 0
.means.R.c.y + .means.R.f.y + .means.R.m.y == 0
```

fSRM will help!

- User-friendly R-package
- Based on lavaan (Rosseel, 2012)
- Easily insert, transform and analyze data in R
- Goes beyond the standard SRM analyses



# Outline

- 1 The Social Relations Model
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## Study of Eichelsheim et al. (2001)

- Patterns of negativity (NRI)
- Families with and without adolescent with externalizing problem behavior
- Group comparison clinical ( $n = 120$ ) and nonclinical ( $n = 153$ ) sample
- Simulated dataset

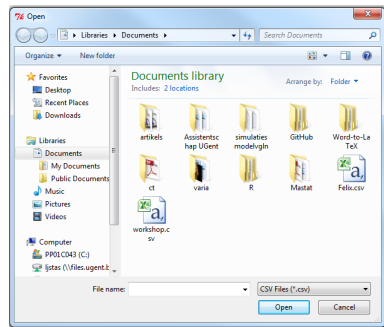
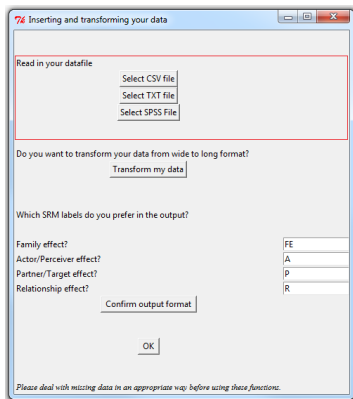
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# R-package

## fSRM: A **user-friendly** R-package for SRM analyses

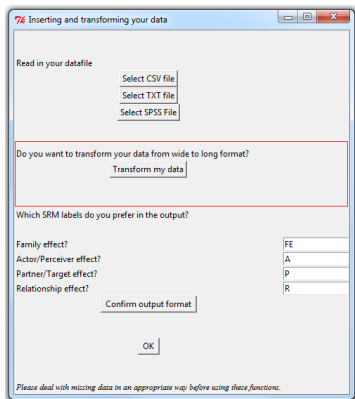
- Easily insert your data in R



# R-package

## fSRM: A **user-friendly** R-package for SRM analyses

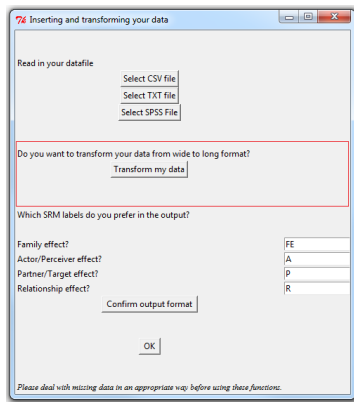
- Easy to transform a dataset to long format



# R-package

## fSRM: A **user-friendly** R-package for SRM analyses

- Easy to transform a dataset to long format



	family_ID	mfanx	mcanx	myanx
1	1	1.000000	1.500000	1.500000
2	2	2.166667	2.000000	2.166667
3	3	1.166667	1.333333	1.000000

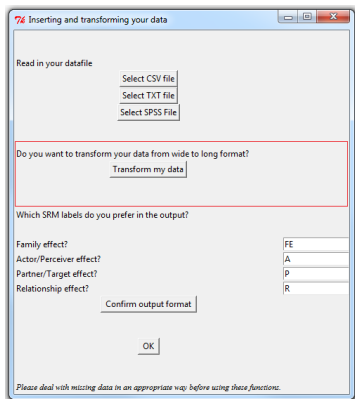


	family_id	variable	value	actor.id	partner.id	ind
1	1	mfanx	1.000000	m	f	anx
2	2	mfanx	2.166667	m	f	anx
3	3	mfanx	1.166667	m	f	anx
• • •						
209	1	mcanx	1.500000	m	c	anx
210	2	mcanx	2.000000	m	c	anx
211	3	mcanx	1.333333	m	c	anx
• • •						
417	1	myanx	1.500000	m	y	anx
418	2	myanx	2.166667	m	y	anx
419	3	myanx	1.000000	m	y	anx

# R-package

## fSRM: A **user-friendly** R-package for SRM analyses

- Easy to transform a dataset to long format



74 Inserting and transforming your data

Read in your datafile

Select CSV file  
Select TXT file  
Select SPSS File

Do you want to transform your data from wide to long format?  
Transform my data

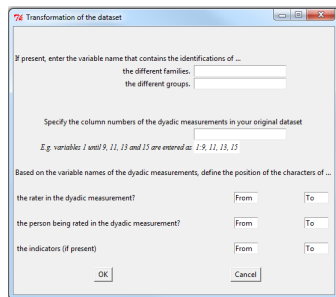
Which SRM labels do you prefer in the output?

Family effect? FE  
Actor/Perceiver effect? A  
Partner/Target effect? P  
Relationship effect? R

Confirm output format

OK

Please deal with missing data in an appropriate way before using these functions.



74 Transformation of the dataset

If present, enter the variable name that contains the identifications of ...  
the different families.   
the different groups.

Specify the column numbers of the dyadic measurements in your original dataset  
  
E.g. variables 1 until 9, 11, 13 and 15 are entered as: 1-9, 11, 13, 15

Based on the variable names of the dyadic measurements, define the position of the characters of ...

the rater in the dyadic measurement? From  To

the person being rated in the dyadic measurement? From  To

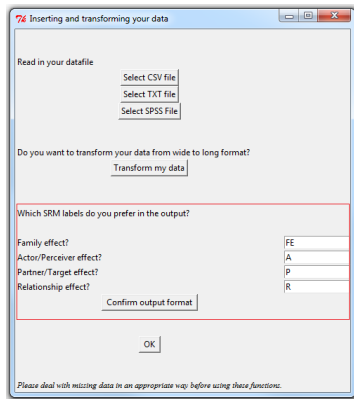
the indicators (if present) From  To

OK Cancel

# R-package

## fSRM: A **user-friendly** R-package for SRM analyses

- The labels in the output can be customized



Inserting and transforming your data

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Which SRM labels do you prefer in the output?

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Actor/Perceiver effect?	A
Partner/Target effect?	P
Relationship effect?	R

Confirm output format

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```
# Load the package
install.packages("fSRM")
library("fSRM")

# Load data and select clinical group
data(two.groups)
clinical <- subset(two.groups, group==1)

# Run the basic SRM analysis
fSRM.lgr <- fSRM(neg1/neg2 ~ actor.id * partner.id |
                family.id, data = clinical)
```

- Only SRM variance are requested
- Two indicators  $\Rightarrow$  SRM relationship partitioned from error

```
-----  
SRM with roles (latent) (Roles: C1, C2, FA, MO ; Dvs = neg1 neg2 ) :  
-----
```

Model summary:

```
lavaan (0.5-12) converged normally after 65 iterations
```

```
Number of observations                120  
  
Estimator                            ML  
Minimum Function Test Statistic      110.720  
degrees of freedom                    113  
P-value (chi-square)                  0.543
```

## 1 Information about the model fit

- Good fit according to the  $\chi^2$  ( $p > 0.05$ ), CFI and RMSEA

### 1 Model Fit:

```
-----  
Chi2 (df=113) = 110.72, p = 0.543  
CFI = 1  
TLI / NNFI = 1.011  
RMSEA = 0 [0;0.044]; Test of close fit: p(data | true value == .05)  
= 0.979
```

### 2 Variance decomposition:

	component	estimate	se	z	p.value	ci.lower	ci.upper
1	FE ~ FE	0.019	0.018	1.058	0.290	-0.016	0.054
2	A.C1 ~ A.C1	0.086	0.040	2.131	0.033	0.007	0.165
3	A.C2 ~ A.C2	0.138	0.045	3.090	0.002	0.051	0.226
4	A.FA ~ A.FA	0.010	0.026	0.385	0.700	-0.042	0.062
5	A.MO ~ A.MO	0.009	0.028	0.321	0.749	-0.045	0.063
6	P.C1 ~ P.C1	0.078	0.034	2.306	0.021	0.012	0.143
7	P.C2 ~ P.C2	0.061	0.033	1.836	0.066	-0.004	0.126
8	P.FA ~ P.FA	0.079	0.035	2.294	0.022	0.012	0.147
9	P.MO ~ P.MO	0.014	0.032	0.448	0.654	-0.048	0.076
10	R.C1.C2 ~ R.C1.C2	0.507	0.114	4.435	0.000	0.283	0.731
11	R.C1.FA ~ R.C1.FA	0.234	0.077	3.038	0.002	0.083	0.385
12	R.C1.MO ~ R.C1.MO	0.275	0.085	3.230	0.001	0.108	0.441
13	R.C2.C1 ~ R.C2.C1	0.204	0.091	2.243	0.025	0.026	0.382
14	R.C2.FA ~ R.C2.FA	0.177	0.076	2.327	0.020	0.028	0.327
15	R.C2.MO ~ R.C2.MO	0.329	0.087	3.779	0.000	0.159	0.500
16	R.FA.C1 ~ R.FA.C1	0.225	0.064	3.514	0.000	0.099	0.350
17	R.FA.C2 ~ R.FA.C2	0.078	0.059	1.319	0.187	-0.038	0.195
18	R.FA.MO ~ R.FA.MO	0.169	0.072	2.360	0.018	0.029	0.310
19	R.MO.C1 ~ R.MO.C1	0.109	0.063	1.731	0.083	-0.014	0.232
20	R.MO.C2 ~ R.MO.C2	0.218	0.075	2.901	0.004	0.071	0.365
21	R.MO.FA ~ R.MO.FA	0.197	0.065	3.030	0.002	0.070	0.325

## 2 Information about the SRM variances

```
-----  
SRM with roles (latent) (Roles: C1, C2, FA, MO ; Dvs = neg1 neg2 ) :  
-----
```

Model summary:

lavaan (0.5-12) converged normally after 65 iterations

```
Number of observations                120  
  
Estimator                            ML  
Minimum Function Test Statistic      110.720  
Degrees of Freedom                   113  
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Chi2 (df=113) = 110.72, p = 0.543  
CFI = 1  
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RMSEA = 0 [0;0.044]; Test of close fit: p(data | true value == .05)  
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2	A.C1 ~ A.C1	0.086	0.040	2.131	0.033	0.007	0.165
3	A.C2 ~ A.C2	0.138	0.045	3.090	0.002	0.051	0.226
4	A.FA ~ A.FA	0.010	0.026	0.385	0.700	-0.042	0.062
5	A.MO ~ A.MO	0.009	0.028	0.321	0.749	-0.045	0.063
6	P.C1 ~ P.C1	0.078	0.034	2.306	0.021	0.012	0.143
7	P.C2 ~ P.C2	0.061	0.033	1.836	0.066	-0.004	0.126
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12	R.C1.MO ~ R.C1.MO	0.275	0.085	3.230	0.001	0.108	0.441
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21	R.MO.FA ~ R.MO.FA	0.197	0.065	3.030	0.002	0.070	0.325

## 2 Information about the SRM variances

- e.g. Some target adolescents experience more negativity in relation to his/her family members than others

3 Relative variance decomposition:

	Family	Actor	Partner	Relationship	Error	explained
C1_C2	2	7	5	41	45	55
C1_FA	2	10	10	29	49	51
C1_MO	2	11	2	34	51	49
C2_C1	2	14	8	20	57	43
C2_FA	2	17	10	22	49	51
C2_MO	2	14	1	34	48	52
FA_C1	3	2	12	35	48	52
FA_C2	3	2	11	14	69	31
FA_MO	3	2	2	25	69	31
MO_C1	3	1	12	17	67	33
MO_C2	2	1	8	27	62	38
MO_FA	3	1	11	29	56	44
mean	2	7	8	27	56	44

4 Generalized reciprocity (actor-partner covariances):

	component	estimate	se	z	p.value	ci.lower	ci.upper	r
1	A.C1 ~ P.C1	0.031	0.028	1.083	0.279	-0.025	0.086	0.377
2	A.C2 ~ P.C2	-0.014	0.029	-0.474	0.635	-0.071	0.043	-0.150
3	A.FA ~ P.FA	0.012	0.024	0.482	0.630	-0.036	0.060	0.414
4	A.MO ~ P.MO	0.013	0.023	0.555	0.579	-0.033	0.059	NA

5 Dyadic reciprocity (relationship covariances): Mean r = 0.491 (out of bounds estimates set to NA)

	component	estimate	se	z	p.value	ci.lower	ci.upper	r
1	R.C1.C2 ~ R.C2.C1	0.238	0.076	3.144	0.002	0.089	0.386	0.739
2	R.C1.FA ~ R.FA.C1	0.129	0.053	2.456	0.014	0.026	0.232	0.563
3	R.C1.MO ~ R.MO.C1	-0.049	0.053	-0.930	0.352	-0.152	0.054	-0.283
4	R.C2.FA ~ R.FA.C2	0.139	0.049	2.834	0.005	0.043	0.236	NA
5	R.C2.MO ~ R.MO.C2	0.113	0.058	1.934	0.053	-0.001	0.227	0.421
6	R.FA.MO ~ R.MO.FA	0.134	0.051	2.660	0.008	0.035	0.233	0.736

3 Relative importance of each SRM component

- per observed relationship
- averaged

4 Generalized reciprocities

5 Dyadic reciprocities

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C2_FA	2	17	10	22	49	51
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4 Generalized reciprocities

- Not *what you give is what you get*

5 Dyadic reciprocities

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3 Relative importance of each SRM component

4 Generalized reciprocities

5 Dyadic reciprocities

- Unique negativity of target adolescent towards father, and vice versa, correlate

## Additional analysis:

- Mean SRM components
- Intragenerational similarities
- Pairwise comparisons of actor (or partner) effects between two roles

```
fSRM.extra <- fSRM(neg1/neg2 ~ actor.id * partner.id |  
  family.id, data = clinical,  
  means = T)
```

## Additional analysis:

- Mean SRM components
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```



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  family.id, data = clinical,  
  means = T,  
  IGSIM=list(c("MO", "FA"), c("C1", "C2"))  
  pairwise = TRUE)
```

6 Intragenerational similarity:

	component	estimate	se	z	p.value	ci.lower	ci.upper	r
107	A.FA ~ A.MO	-0.008	0.022	-0.364	0.716	-0.051	0.035	NA
108	P.FA ~ P.MO	0.056	0.028	1.994	0.046	0.001	0.111	NA
109	A.C1 ~ A.C2	0.008	0.030	0.272	0.786	-0.050	0.067	0.088
110	P.C1 ~ P.C2	-0.013	0.025	-0.512	0.609	-0.061	0.035	-0.183

7 Mean structure: Indices starting with 'c.' are pairwise comparisons between roles

	factor	estimate	se	z	p.value	ci.lower	ci.upper
1	FE	1.854	0.027	68.029	0.000	1.801	1.908
2	A.C1	0.383	0.038	10.076	0.000	0.308	0.457
3	A.C2	0.149	0.040	3.693	0.000	0.070	0.229
4	A.FA	-0.289	0.033	-8.778	0.000	-0.353	-0.224
5	A.MO	-0.243	0.034	-7.211	0.000	-0.310	-0.177
6	P.C1	0.312	0.038	8.179	0.000	0.237	0.387
7	P.C2	0.151	0.037	4.042	0.000	0.078	0.224
8	P.FA	-0.239	0.036	-6.627	0.000	-0.309	-0.168
9	P.MO	-0.224	0.035	-6.441	0.000	-0.292	-0.156
10	R.C1.C2	0.168	0.040	4.212	0.000	0.090	0.246
11	R.C1.FA	-0.099	0.038	-2.637	0.008	-0.173	-0.025
12	R.C1.MO	-0.069	0.040	-1.734	0.083	-0.147	0.009
13	R.C2.C1	0.276	0.037	7.507	0.000	0.204	0.348
14	R.C2.FA	-0.138	0.035	-3.889	0.000	-0.207	-0.068
15	R.C2.MO	-0.138	0.038	-3.608	0.000	-0.213	-0.063
16	R.FA.C1	-0.117	0.033	-3.588	0.000	-0.181	-0.053
17	R.FA.C2	-0.090	0.035	-2.564	0.010	-0.159	-0.021
18	R.FA.MO	0.207	0.039	5.362	0.000	0.131	0.283
19	R.MO.C1	-0.159	0.034	-4.649	0.000	-0.226	-0.092
20	R.MO.C2	-0.078	0.035	-2.229	0.026	-0.146	-0.009
21	R.MO.FA	0.237	0.035	6.682	0.000	0.167	0.306
22	C.means.A.C1.C2	0.233	0.065	3.613	0.000	0.107	0.360
23	C.means.P.C1.C2	0.161	0.059	2.716	0.007	0.045	0.277
24	C.means.A.C1.FA	0.672	0.058	11.671	0.000	0.559	0.785
25	C.means.P.C1.FA	0.551	0.062	8.941	0.000	0.430	0.671
26	C.means.A.C1.MO	0.626	0.060	10.448	0.000	0.509	0.744
27	C.means.P.C1.MO	0.536	0.062	8.611	0.000	0.414	0.658
28	C.means.A.C2.FA	0.438	0.062	7.048	0.000	0.316	0.560
29	C.means.P.C2.FA	0.390	0.063	6.215	0.000	0.267	0.513
30	C.means.A.C2.MO	0.393	0.062	6.362	0.000	0.272	0.514
31	C.means.P.C2.MO	0.375	0.059	6.339	0.000	0.259	0.491
32	C.means.A.FA.MO	-0.045	0.050	-0.916	0.360	-0.143	0.052
33	C.means.P.FA.MO	-0.015	0.053	-0.278	0.781	-0.119	0.089

6 Intragenerational similarities

- Good child - bad child? (not significant)

7 Mean SRM components

8 Pairwise comparisons

6 Intragenerational similarity:

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108	P.FA ~ P.MO	0.056	0.028	1.994	0.046	0.001	0.111	NA
109	A.C1 ~ A.C2	0.008	0.030	0.272	0.786	-0.050	0.067	0.088
110	P.C1 ~ P.C2	-0.013	0.025	-0.512	0.609	-0.061	0.035	-0.183

6 Intragenerational similarities

7 Mean structure: Indices starting with 'c.' are pairwise comparisons between roles

	factor	estimate	se	z	p.value	ci.lower	ci.upper
1	FE	1.854	0.027	68.029	0.000	1.801	1.908
2	A.C1	0.383	0.038	10.076	0.000	0.308	0.457
3	A.C2	0.149	0.040	3.693	0.000	0.070	0.229
4	A.FA	-0.289	0.033	-8.778	0.000	-0.353	-0.224
5	A.MO	-0.243	0.034	-7.211	0.000	-0.310	-0.177
6	P.C1	0.312	0.038	8.179	0.000	0.237	0.387
7	P.C2	0.151	0.037	4.042	0.000	0.078	0.224
8	P.FA	-0.239	0.036	-6.627	0.000	-0.309	-0.168
9	P.MO	-0.224	0.035	-6.441	0.000	-0.292	-0.156
10	R.C1.C2	0.168	0.040	4.212	0.000	0.090	0.246
11	R.C1.FA	-0.099	0.038	-2.637	0.008	-0.173	-0.025
12	R.C1.MO	-0.069	0.040	-1.734	0.083	-0.147	0.009
13	R.C2.C1	0.276	0.037	7.507	0.000	0.204	0.348
14	R.C2.FA	-0.138	0.035	-3.889	0.000	-0.207	-0.068
15	R.C2.MO	-0.138	0.038	-3.608	0.000	-0.213	-0.063
16	R.FA.C1	-0.117	0.033	-3.588	0.000	-0.181	-0.053
17	R.FA.C2	-0.090	0.035	-2.564	0.010	-0.159	-0.021
18	R.FA.MO	0.207	0.039	5.362	0.000	0.131	0.283
19	R.MO.C1	-0.159	0.034	-4.649	0.000	-0.226	-0.092
20	R.MO.C2	-0.078	0.035	-2.229	0.026	-0.146	-0.009
21	R.MO.FA	0.237	0.035	6.682	0.000	0.167	0.306
22	C.means.A.C1.C2	0.233	0.065	3.613	0.000	0.107	0.360
23	C.means.P.C1.C2	0.161	0.059	2.716	0.007	0.045	0.277
24	C.means.A.C1.FA	0.672	0.058	11.671	0.000	0.559	0.785
25	C.means.P.C1.FA	0.551	0.062	8.941	0.000	0.430	0.671
26	C.means.A.C1.MO	0.626	0.060	10.448	0.000	0.509	0.744
27	C.means.P.C1.MO	0.536	0.062	8.611	0.000	0.414	0.658
28	C.means.A.C2.FA	0.438	0.062	7.048	0.000	0.316	0.560
29	C.means.P.C2.FA	0.390	0.063	6.215	0.000	0.267	0.513
30	C.means.A.C2.MO	0.393	0.062	6.362	0.000	0.272	0.514
31	C.means.P.C2.MO	0.375	0.059	6.339	0.000	0.259	0.491
32	C.means.A.FA.MO	-0.045	0.050	-0.916	0.360	-0.143	0.052
33	C.means.P.FA.MO	-0.015	0.053	-0.278	0.781	-0.119	0.089

7 Mean SRM components

8 Pairwise comparisons

6 Intragenerational similarity:

	component	estimate	se	z	p.value	ci.lower	ci.upper	r
107	A.FA ~ A.MO	-0.008	0.022	-0.364	0.716	-0.051	0.035	NA
108	P.FA ~ P.MO	0.056	0.028	1.994	0.046	0.001	0.111	NA
109	A.C1 ~ A.C2	0.008	0.030	0.272	0.786	-0.050	0.067	0.088
110	P.C1 ~ P.C2	-0.013	0.025	-0.512	0.609	-0.061	0.035	-0.183

6 Intragenerational similarities

7 Mean structure: Indices starting with 'c.' are pairwise comparisons between roles

	factor	estimate	se	z	p.value	ci.lower	ci.upper
1	FE	1.854	0.027	68.029	0.000	1.801	1.908
2	A.C1	0.383	0.038	10.076	0.000	0.308	0.457
3	A.C2	0.149	0.040	3.693	0.000	0.070	0.229
4	A.FA	-0.289	0.033	-8.778	0.000	-0.353	-0.224
5	A.MO	-0.243	0.034	-7.211	0.000	-0.310	-0.177
6	P.C1	0.312	0.038	8.179	0.000	0.237	0.387
7	P.C2	0.151	0.037	4.042	0.000	0.078	0.224
8	P.FA	-0.239	0.036	-6.627	0.000	-0.309	-0.168
9	P.MO	-0.224	0.035	-6.441	0.000	-0.292	-0.156
10	R.C1.C2	0.168	0.040	4.212	0.000	0.090	0.246
11	R.C1.FA	-0.099	0.038	-2.637	0.008	-0.173	-0.025
12	R.C1.MO	-0.069	0.040	-1.734	0.083	-0.147	0.009
13	R.C2.C1	0.276	0.037	7.507	0.000	0.204	0.348
14	R.C2.FA	-0.138	0.035	-3.889	0.000	-0.207	-0.068
15	R.C2.MO	-0.138	0.038	-3.608	0.000	-0.213	-0.063
16	R.FA.C1	-0.117	0.033	-3.588	0.000	-0.181	-0.053
17	R.FA.C2	-0.090	0.035	-2.564	0.010	-0.159	-0.021
18	R.FA.MO	0.207	0.039	5.362	0.000	0.131	0.283
19	R.MO.C1	-0.159	0.034	-4.649	0.000	-0.226	-0.092
20	R.MO.C2	-0.078	0.035	-2.229	0.026	-0.146	-0.009
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29	C.means.P.C2.FA	0.390	0.063	6.215	0.000	0.267	0.513
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31	C.means.P.C2.MO	0.375	0.059	6.339	0.000	0.259	0.491
32	C.means.A.FA.MO	-0.045	0.050	-0.916	0.360	-0.143	0.052
33	C.means.P.FA.MO	-0.015	0.053	-0.278	0.781	-0.119	0.089

7 Mean SRM components

8 Pairwise comparisons between the actor (and partner) effects of two roles

## Main research question:

Differences in negativity between problematic and nonproblematic families?

- SRM with two indicators
- Two groups
- Differences in variances and means?

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```

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Differences in negativity between problematic and nonproblematic families?

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```

## Main research question:

Differences in negativity between problematic and nonproblematic families?

- SRM with two indicators
- Two groups
- Differences in variances and means?

```
fSRM.2gr <- fSRM(neg1/neg2 ~ actor.id * partner.id |  
  family.id,  
  data = two.groups, group="group",  
  means = T, diff=TRUE)
```



```

      . . .
#####
Difference of means between groups (1-2)
#####
      component    diff    se      z p.value  ci.lower  ci.upper
1077 .meanDiff.FE    0.202 0.028  7.182  0.000    0.147   0.257
1078 .meanDiff.A.C1  0.293 0.049  5.998  0.000    0.197   0.388
1079 .meanDiff.A.C2 -0.178 0.053 -3.374  0.001   -0.281  -0.074
1080 .meanDiff.A.FA -0.148 0.043 -3.407  0.001   -0.233  -0.063
1081 .meanDiff.A.MO  0.033 0.043  0.759  0.448   -0.052   0.117
1082 .meanDiff.P.C1  0.284 0.045  6.263  0.000    0.195   0.373
1083 .meanDiff.P.C2 -0.030 0.046 -0.649  0.516   -0.121   0.061
1084 .meanDiff.P.FA -0.020 0.047 -0.413  0.680   -0.112   0.073
1085 .meanDiff.P.MO -0.032 0.046 -0.701  0.483   -0.123   0.058
1086 .meanDiff.R.C1.C2 -0.037 0.047 -0.782  0.434   -0.129   0.056
1087 .meanDiff.R.C1.FA  0.045 0.044  1.030  0.303   -0.041   0.131
1088 .meanDiff.R.C1.MO -0.008 0.046 -0.176  0.860   -0.099   0.083
1089 .meanDiff.R.C2.C1 -0.016 0.047 -0.341  0.733   -0.108   0.076
1090 .meanDiff.R.C2.FA -0.011 0.044 -0.251  0.802   -0.096   0.075
1091 .meanDiff.R.C2.MO  0.027 0.047  0.571  0.568   -0.066   0.120
1092 .meanDiff.R.FA.C1  0.010 0.039  0.259  0.796   -0.067   0.087
1093 .meanDiff.R.FA.C2  0.009 0.042  0.206  0.837   -0.074   0.091
1094 .meanDiff.R.FA.MO -0.019 0.046 -0.408  0.683   -0.109   0.072
1095 .meanDiff.R.MO.C1  0.006 0.042  0.143  0.887   -0.076   0.087
1096 .meanDiff.R.MO.C2  0.028 0.044  0.647  0.518   -0.057   0.114
1097 .meanDiff.R.MO.FA -0.034 0.045 -0.761  0.447   -0.122   0.054

```

- Output for each group
- Difference between groups

```

#####
Difference of variances between groups (1-2)
#####
      component    diff    se      z p.value  ci.lower  ci.upper
1098 .varDiff.FE    0.020 0.022  0.917  0.359   -0.023   0.063
1099 .varDiff.A.C1  0.026 0.045  0.567  0.570   -0.063   0.114
1100 .varDiff.A.C2  0.046 0.054  0.850  0.395   -0.060   0.153
1101 .varDiff.A.FA -0.039 0.032 -1.196  0.232   -0.103   0.025
1102 .varDiff.A.MO -0.031 0.034 -0.914  0.361   -0.096   0.035
1103 .varDiff.P.C1  0.057 0.038  1.513  0.130   -0.017   0.132
1104 .varDiff.P.C2  0.023 0.039  0.586  0.558   -0.053   0.099
1105 .varDiff.P.FA  0.014 0.040  0.355  0.722   -0.064   0.092
1106 .varDiff.P.MO -0.056 0.040 -1.410  0.159   -0.133   0.022
1107 .varDiff.R.C1.C2  0.254 0.125  2.028  0.043    0.008   0.500

```

. . .

```

      . . .
#####
Difference of means between groups (1-2)
#####
      component    diff    se    z p.value  ci.lower  ci.upper
1077 .meanDiff.FE    0.202 0.028  7.182  0.000    0.147    0.257
1078 .meanDiff.A.C1  0.293 0.049  5.998  0.000    0.197    0.388
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```

- Output for each group
- Difference between groups
  - More family negativity in problematic families
  - Target adolescent reports more negativity

## Some other features of the package:

- SRM in three person family
  - Specify which component to drop (*default: family factor*)
- Improve model fit
  - Modification indices
  - Fix negative or nonsignificant effects to zero
- Investigate difference over roles same component
- Handle missing data

## References

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Rosseel, Y. (2012). Lavaan: an R package for structural equation modeling. *Journal of Statistical Software, 48*(2), 1-36.